

$e^+/e^-$  vertical distribution comparison with flat and quadratic background

R. Holtzapple and J. Kern

A comparison of the vertical profiles from the e+ and e- PMT are made using the electron cloud witness bunch data from 4/2/2007. Two different fits to the vertical profiles are made:

$$f_1(x) = A + D \exp\left(-\left(\frac{(x - E)}{\sqrt{2F}}\right)^2\right)$$

$$f_2(x) = A + Bx + Cx^2 + D \exp\left(-\left(\frac{(x - E)}{\sqrt{2F}}\right)^2\right)$$

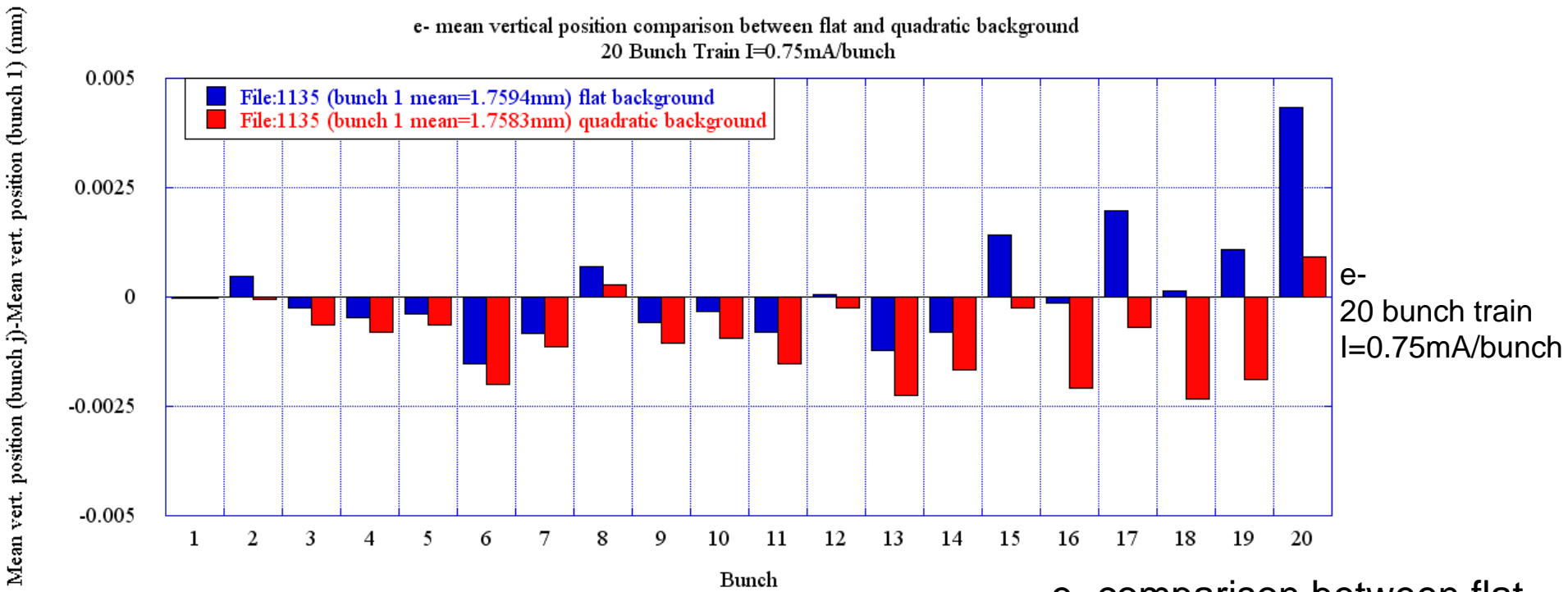
$f_1$  is a fit to a Gaussian function with a flat background with fit parameters A, D, E, and F.  $f_2$  is a fit to a Gaussian distribution with a quadratic background with fit parameters A-F. The statistic measure of how successful the fit is in explaining the variation of the data is by the square of the correlation between the data and the fit function (called  $R^2$ ).  $R^2$  is defined as:

$$R^2 = 1 - \frac{\sum_{i=1}^{32} w_i (x_i - \hat{x})^2}{\sum_{i=1}^{32} w_i (x_i - \bar{x})^2}$$

where  $w_i$  is the weight function,  $x_i$  is the data,  $\hat{x}$  is the fitted value.  $R^2$  can take on any value between 0 and 1, with a value closer to 1 indicating that a greater proportion of variance is accounted for by the model. An  $R^2$  value of 0.8234 means that the fit explains 82.34% of the total variation in the data about the average.

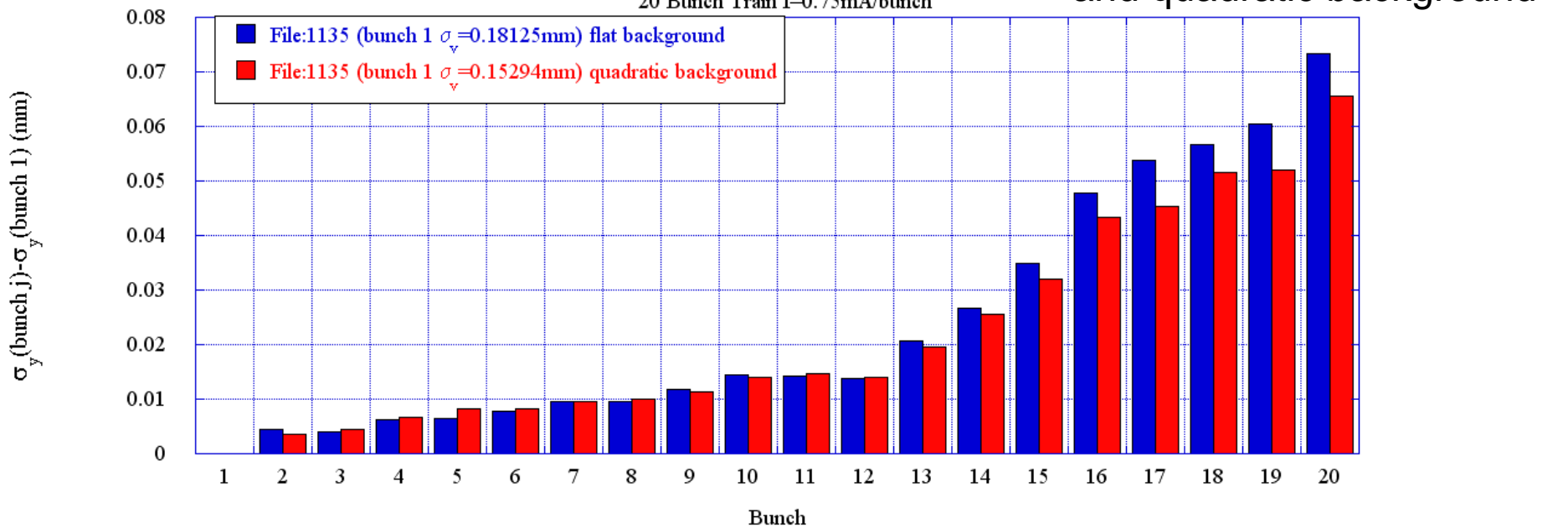
e- mean vertical position comparison between flat and quadratic background

20 Bunch Train I=0.75mA/bunch

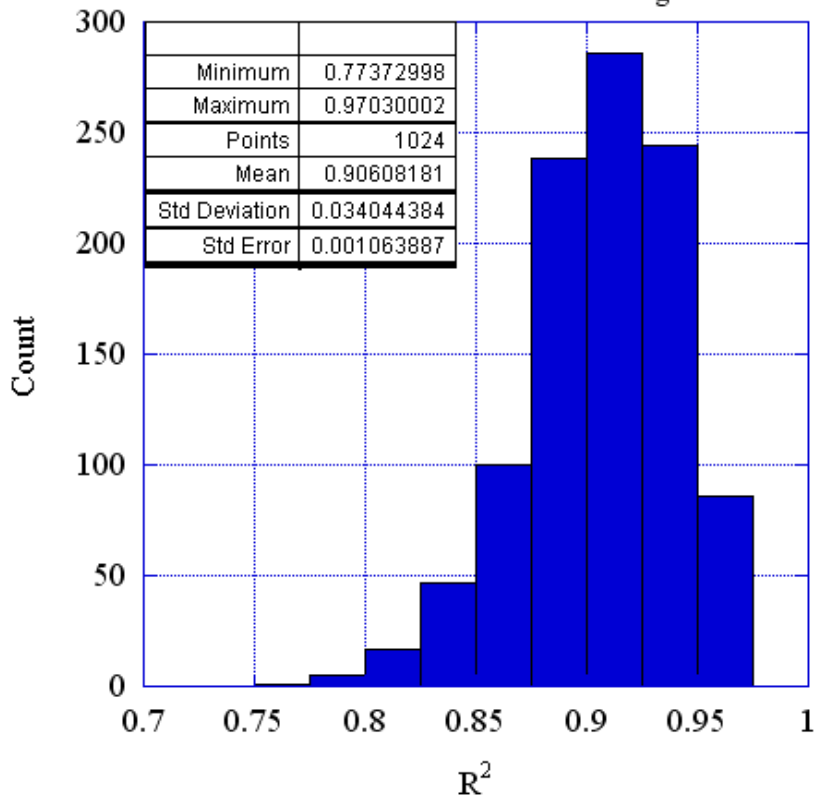


e-  $\sigma_y$  comparison between flat and quadratic background

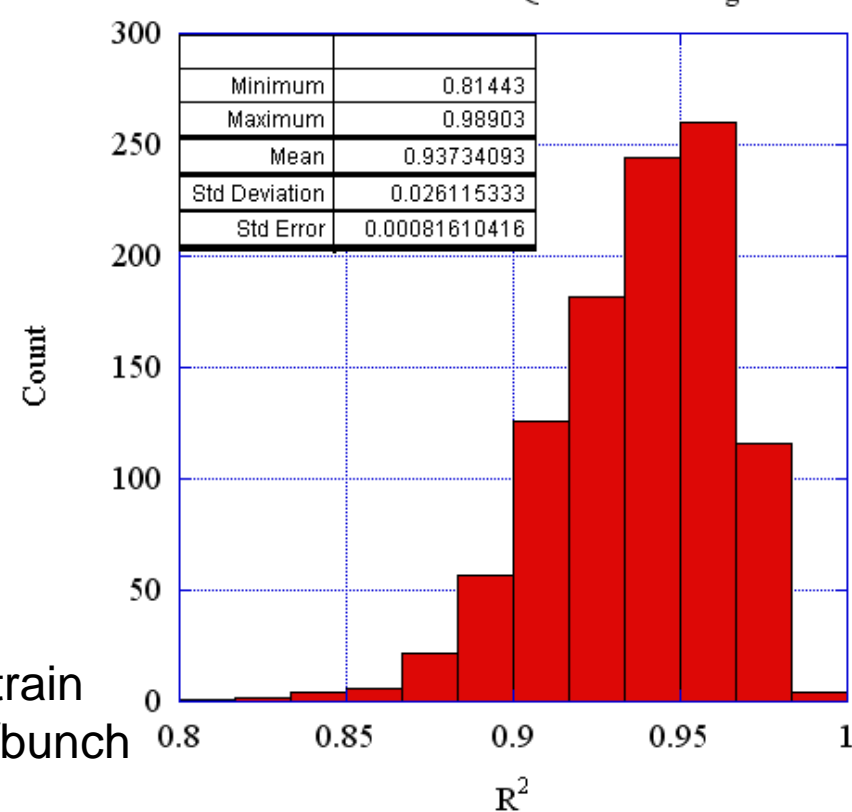
20 Bunch Train I=0.75mA/bunch



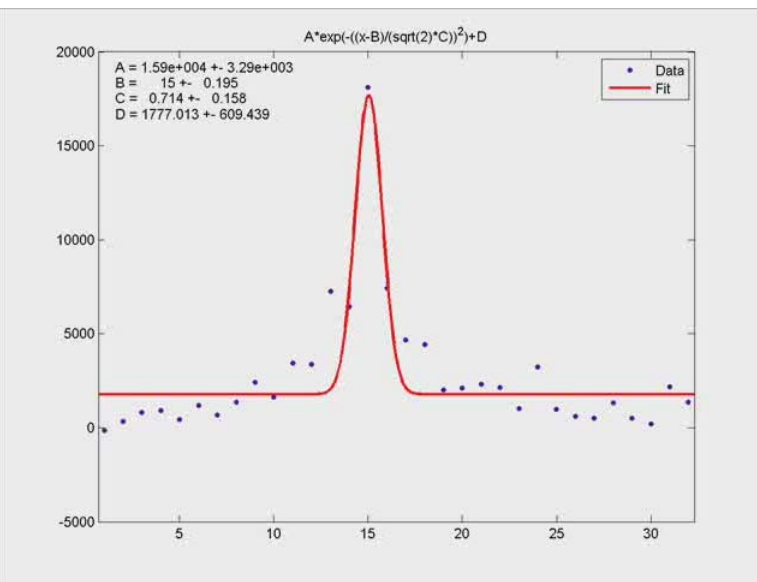
e- File:01135 Bunch 1 Flat Background



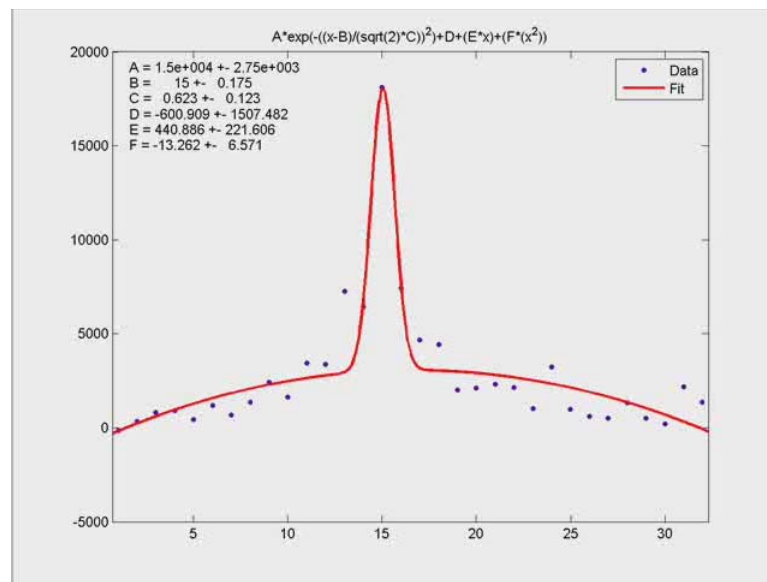
e- File:01135 Bunch 1 Quadratic Background



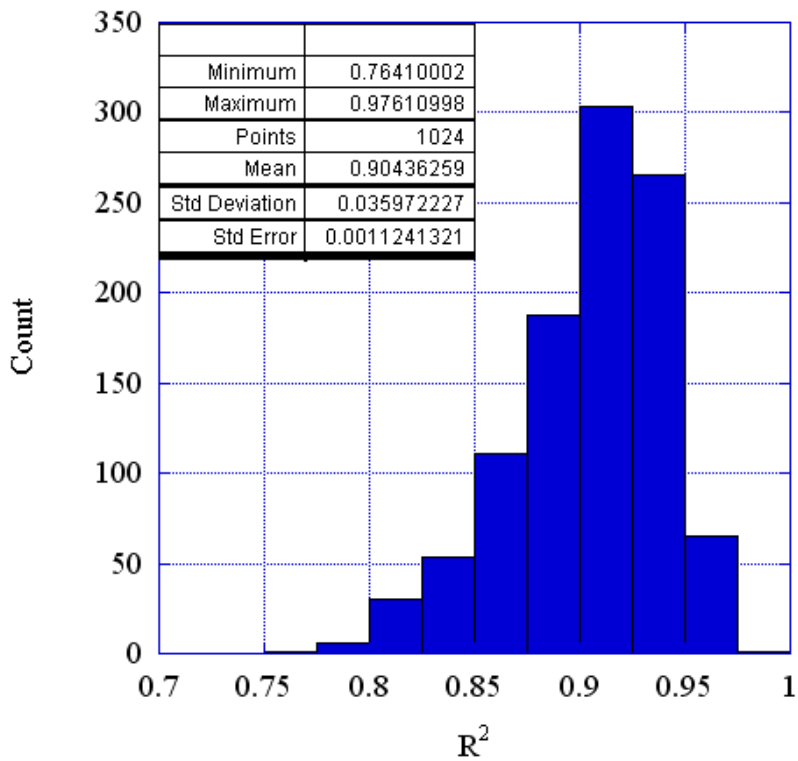
e- bunch 1  
20 bunch train  
I=0.75mA/bunch



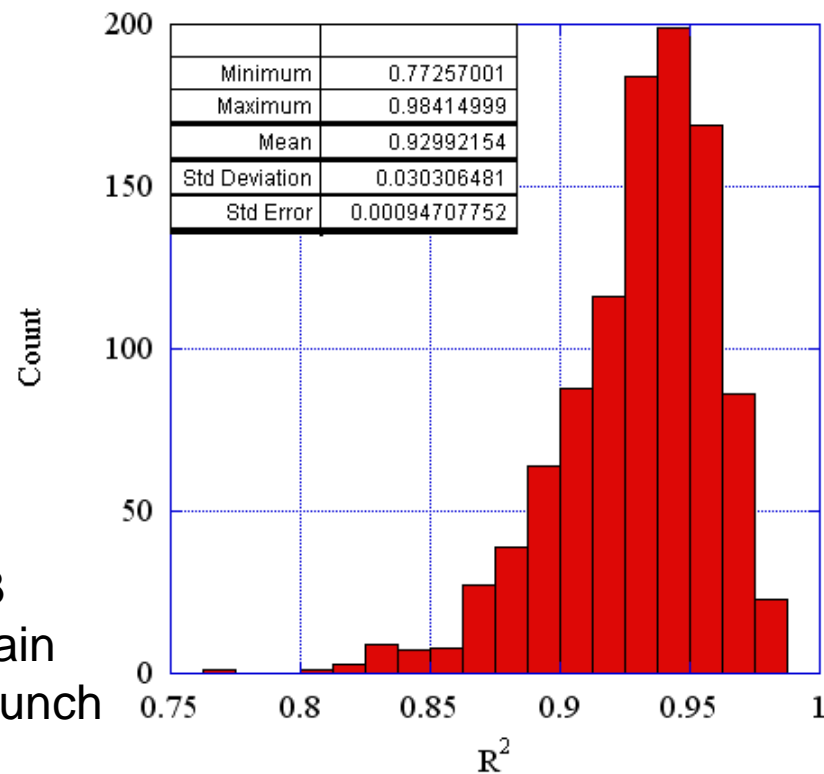
← 25 turn  
Movie →



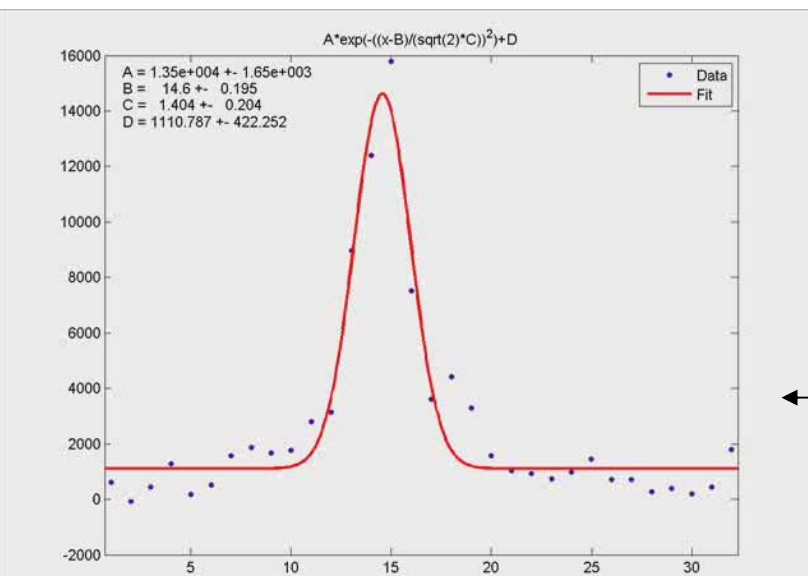
e- File:01135 Bunch 13 Flat Background



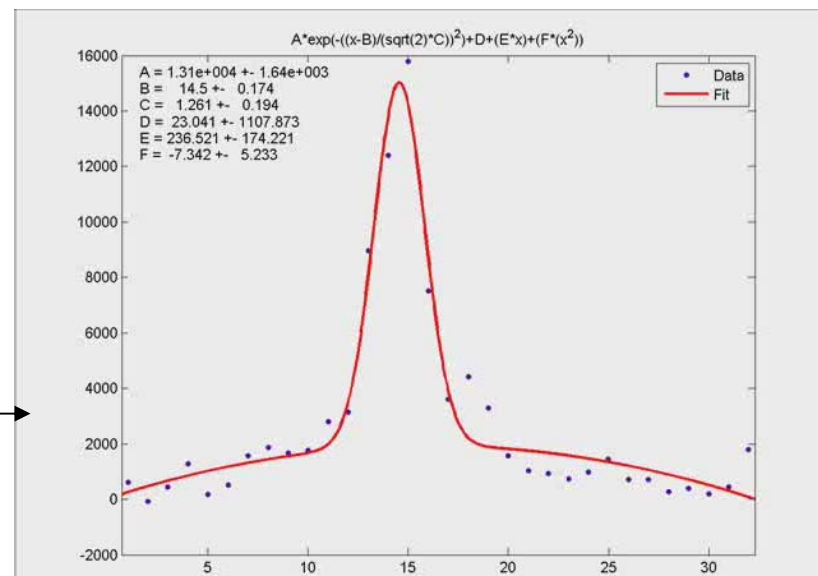
e- File:01135 Bunch 13 Quadratic Background



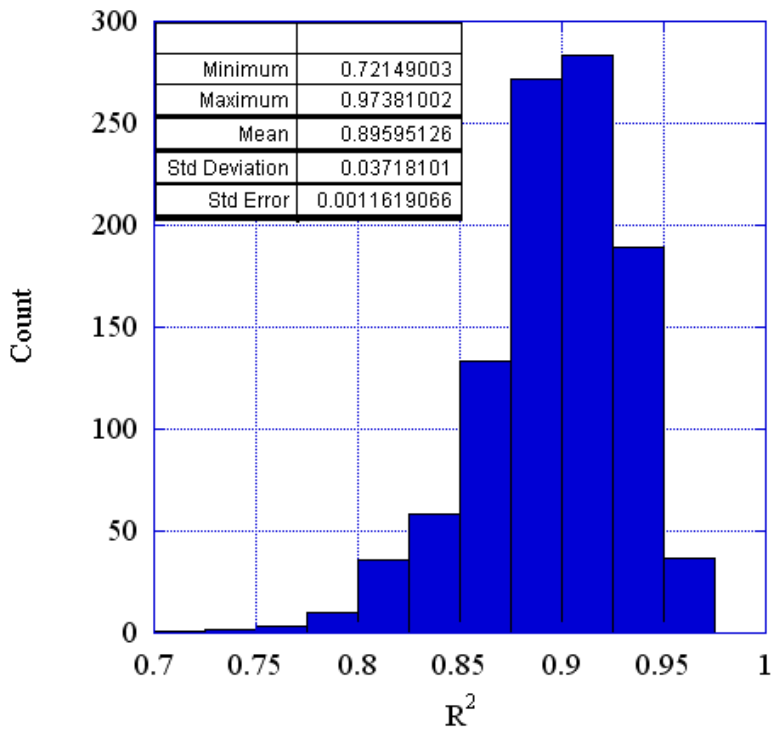
e- bunch 13  
20 bunch train  
I=0.75mA/bunch



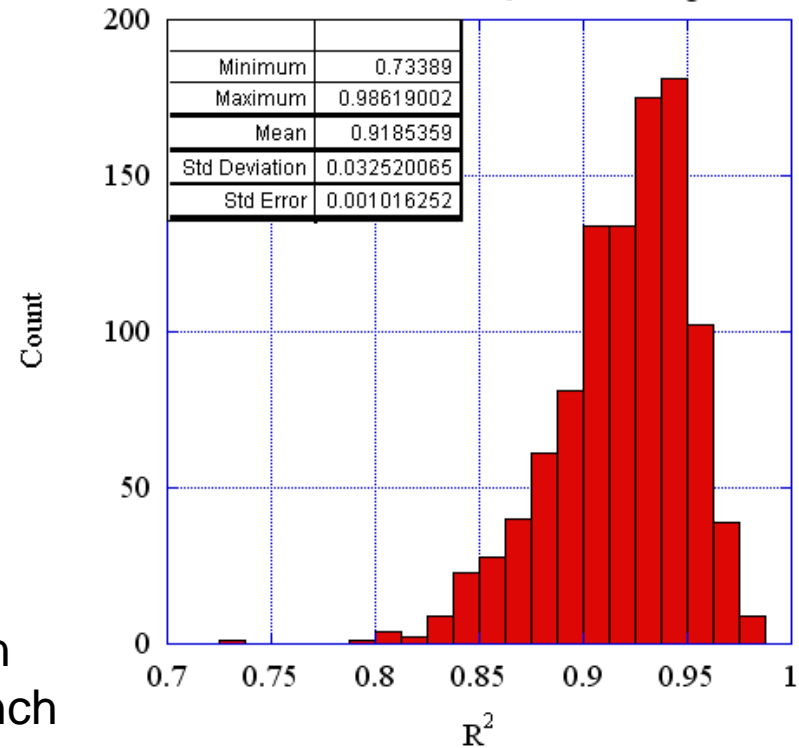
← 25 turn  
Movie →



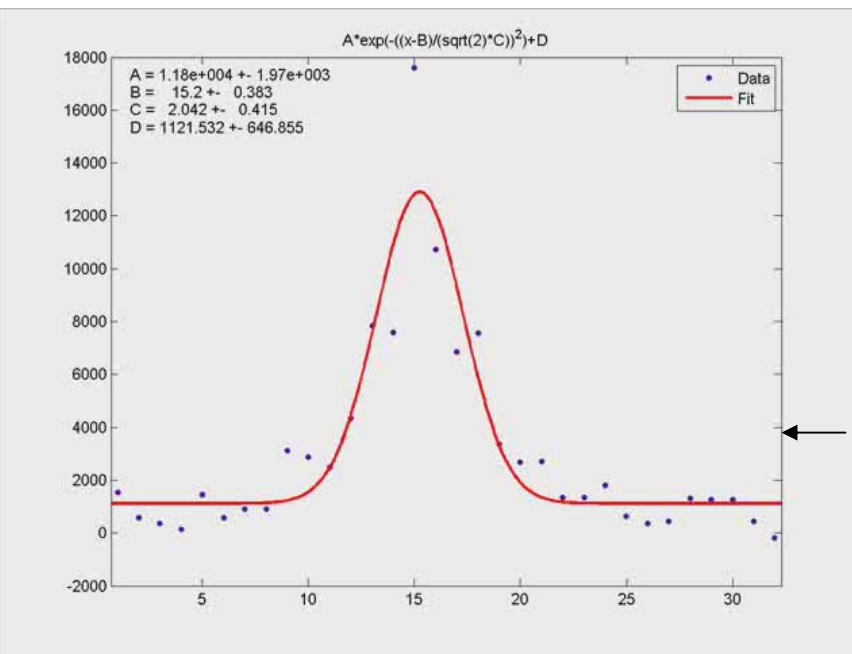
e- File:01135 Bunch 20 Flat Background



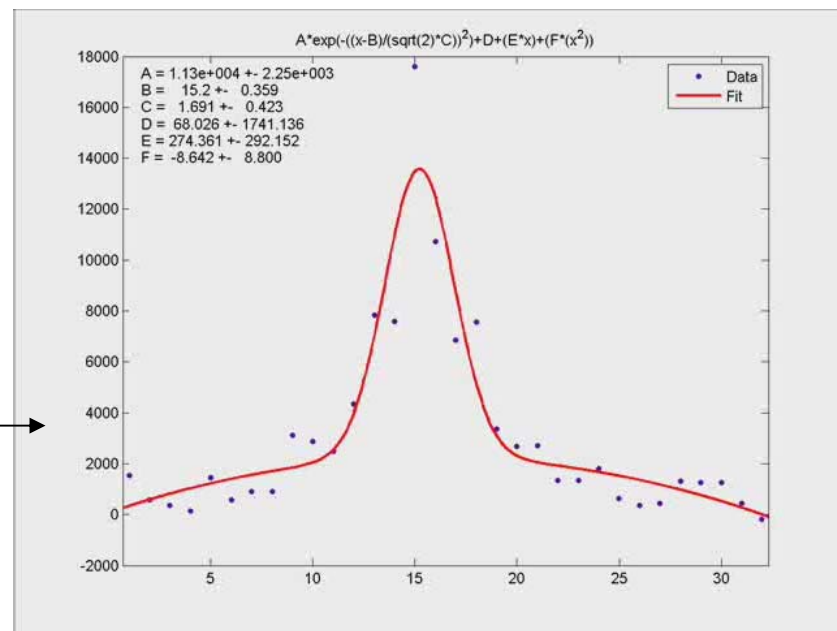
e- File:01135 Bunch 20 Quadratic Background



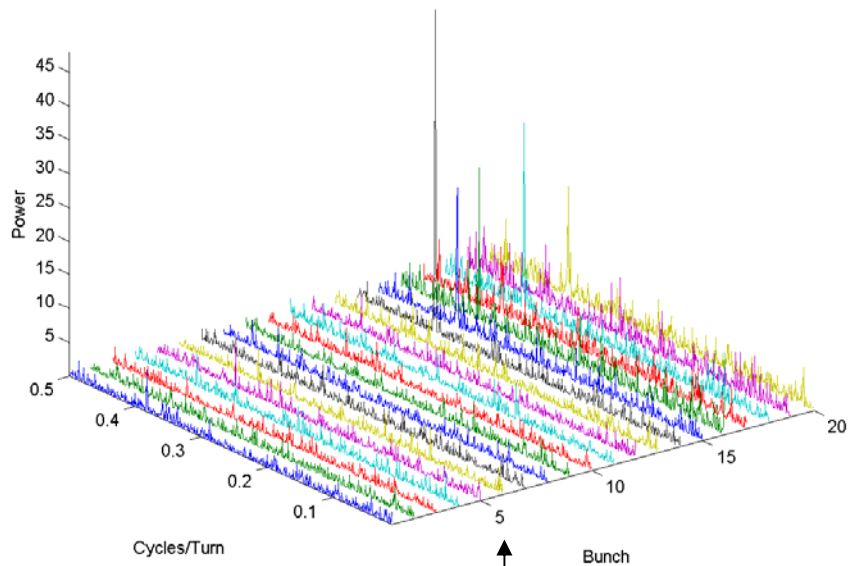
e- bunch 20  
20 bunch train  
I=0.75mA/bunch



25 turn  
Movie

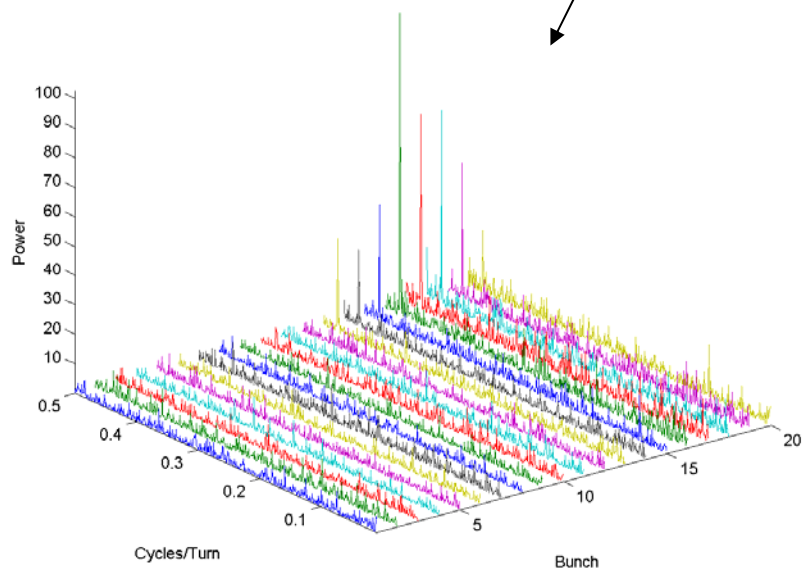


bsm23w01135 results

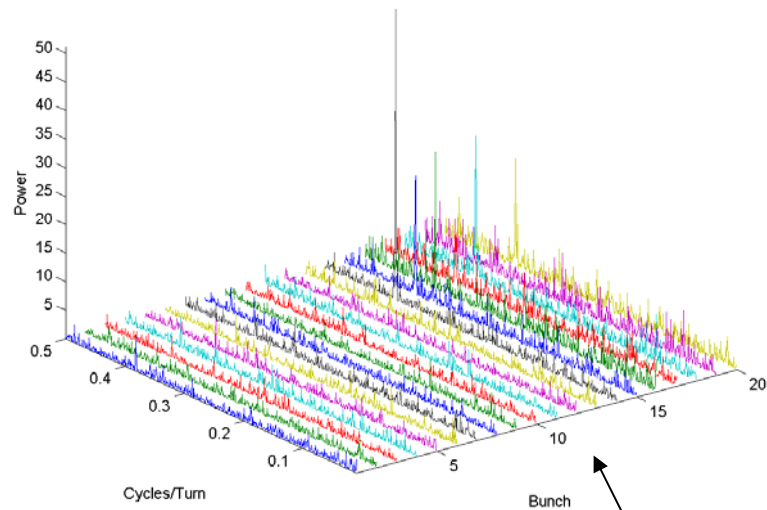


FFT Flat Background  $\text{mean}/\sigma_y$

bsm23w01135 results

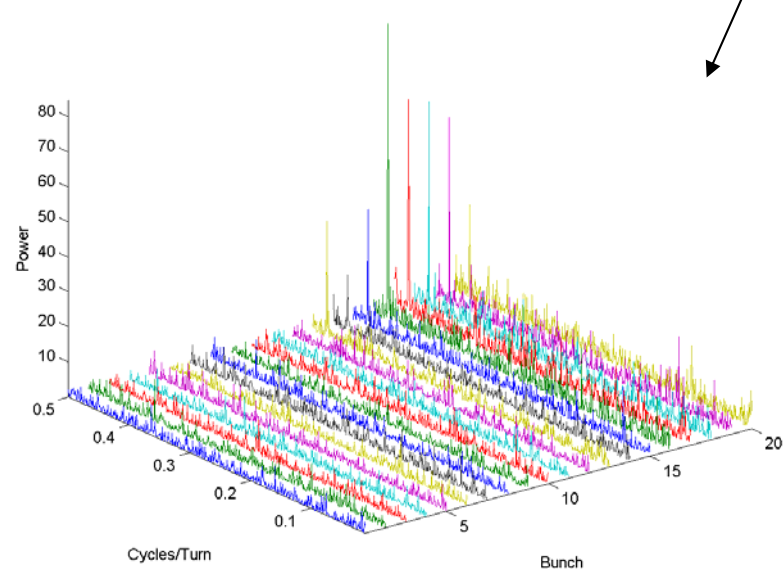


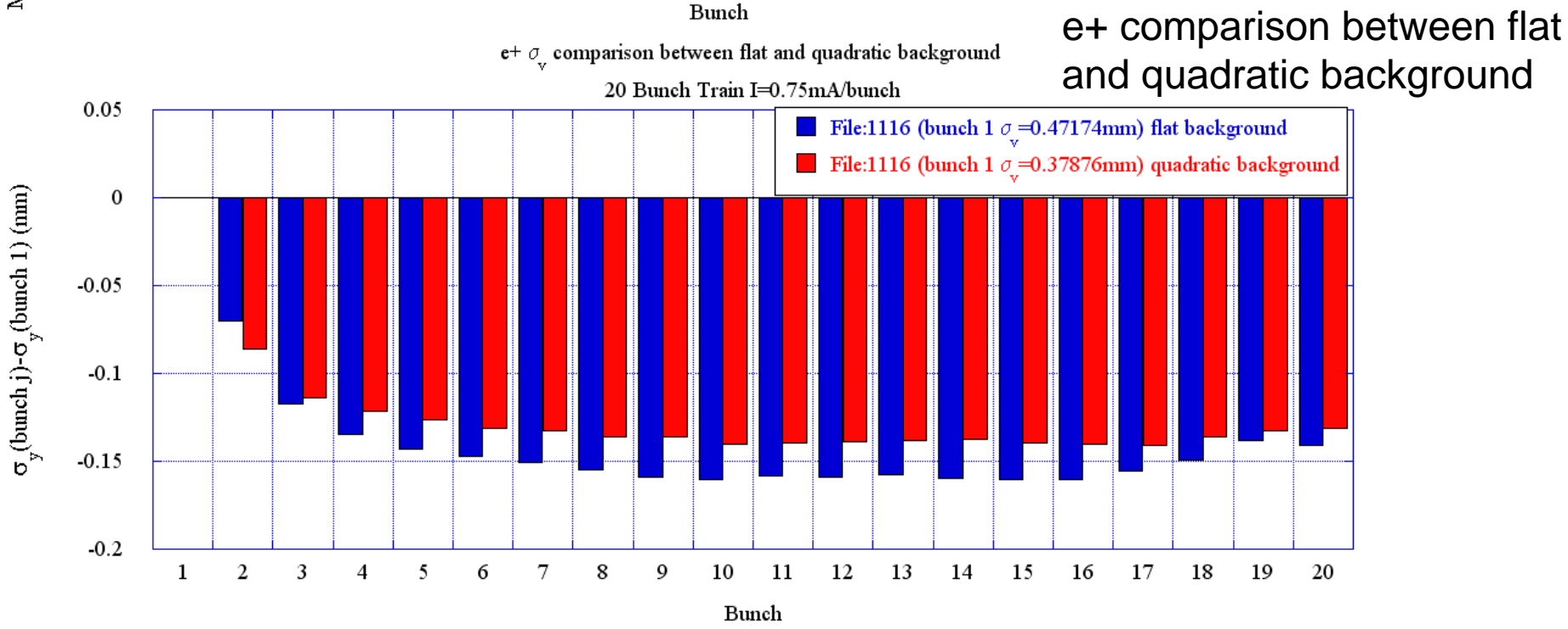
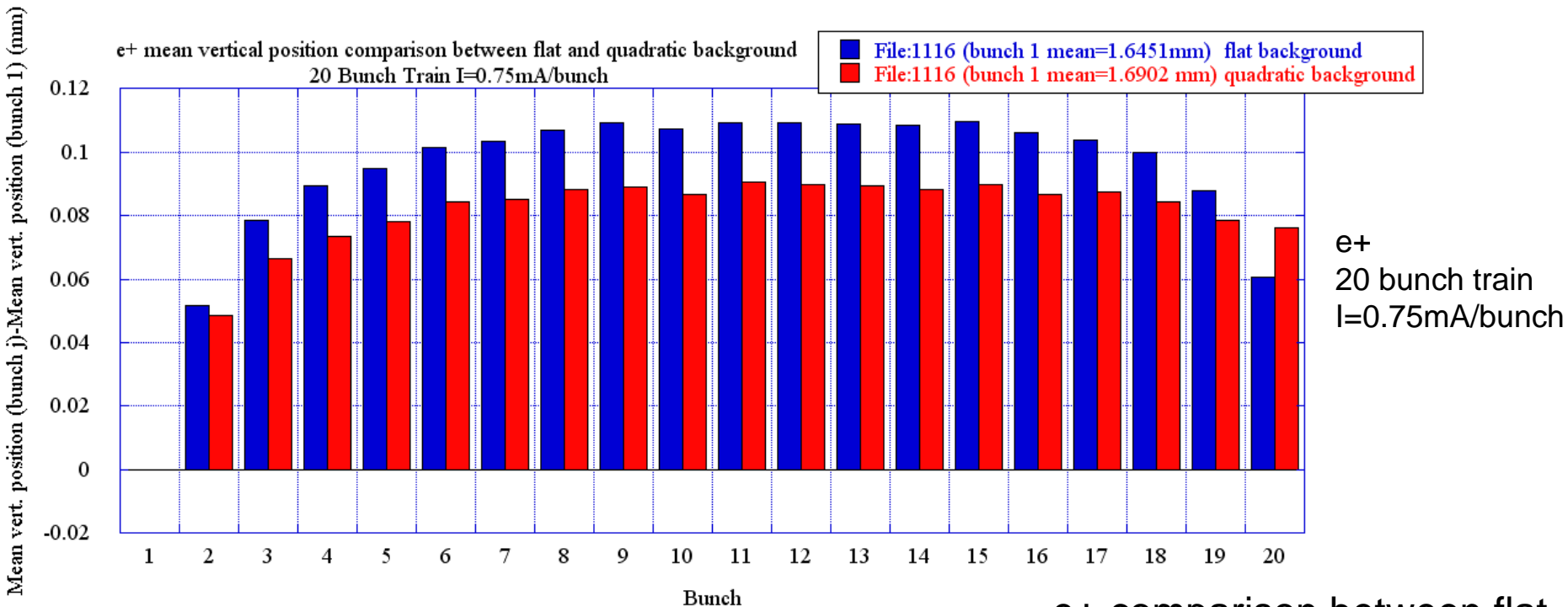
bsm23w01135 results



FFT Quadratic Background  $\text{mean}/\sigma_y$

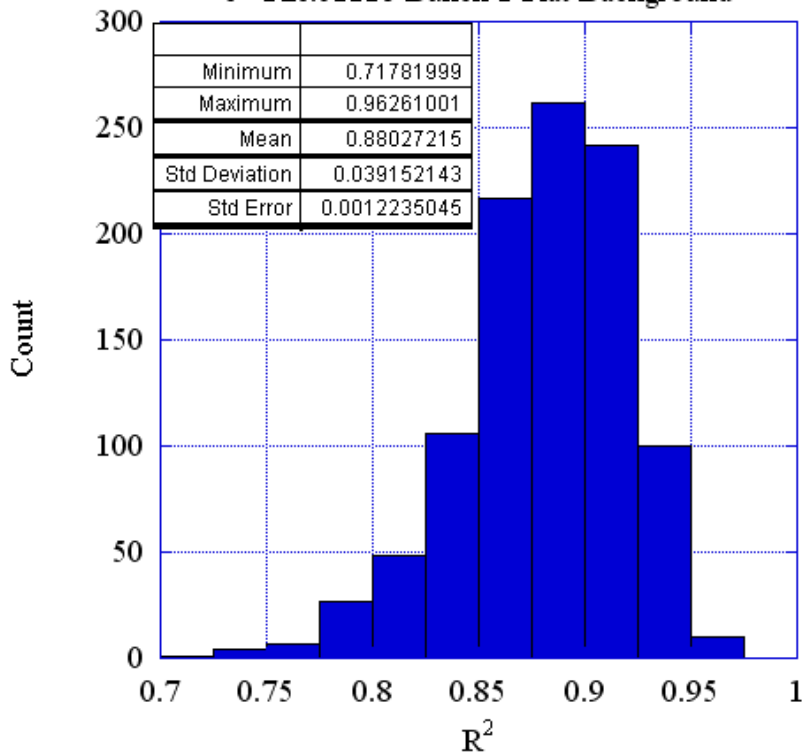
bsm23w01135 results



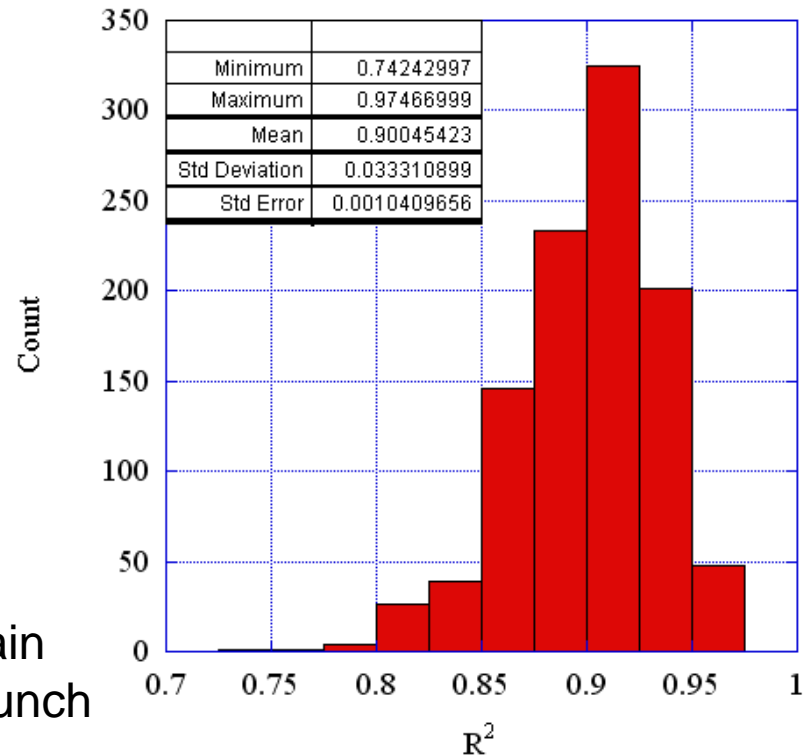




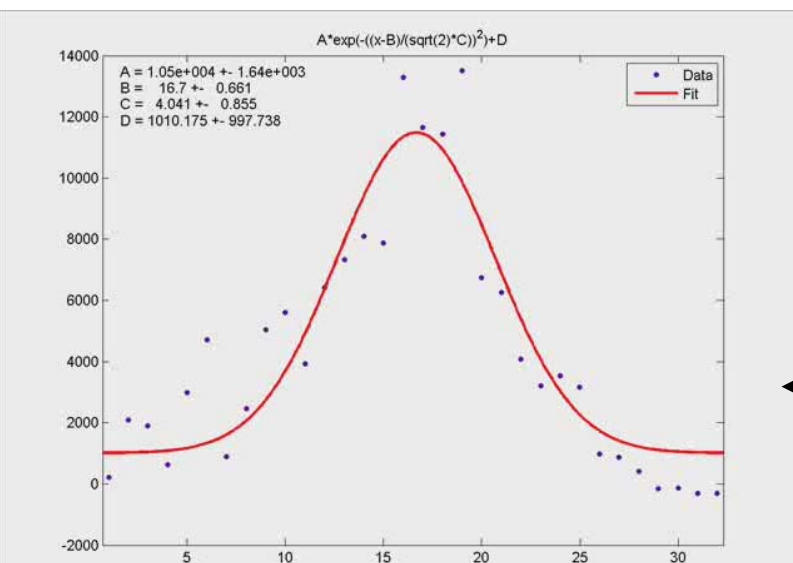
e+ File:01116 Bunch 1 Flat Background



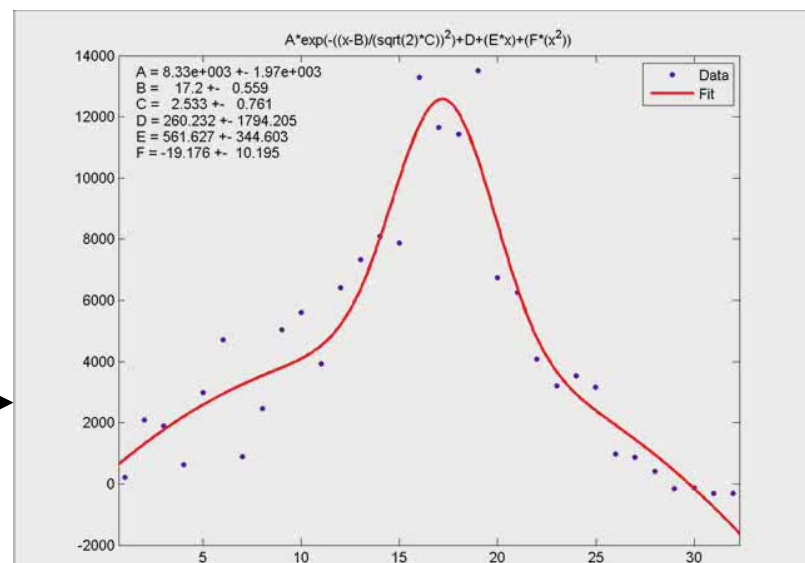
e+ File:01116 Bunch 1 Quadratic Background



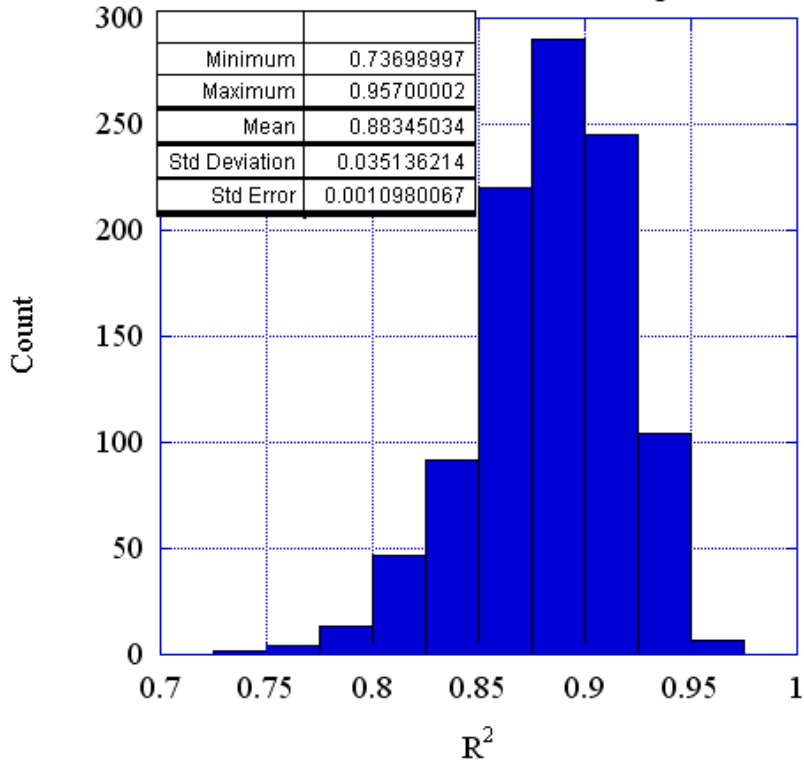
e+ bunch 1  
20 bunch train  
I=0.75mA/bunch



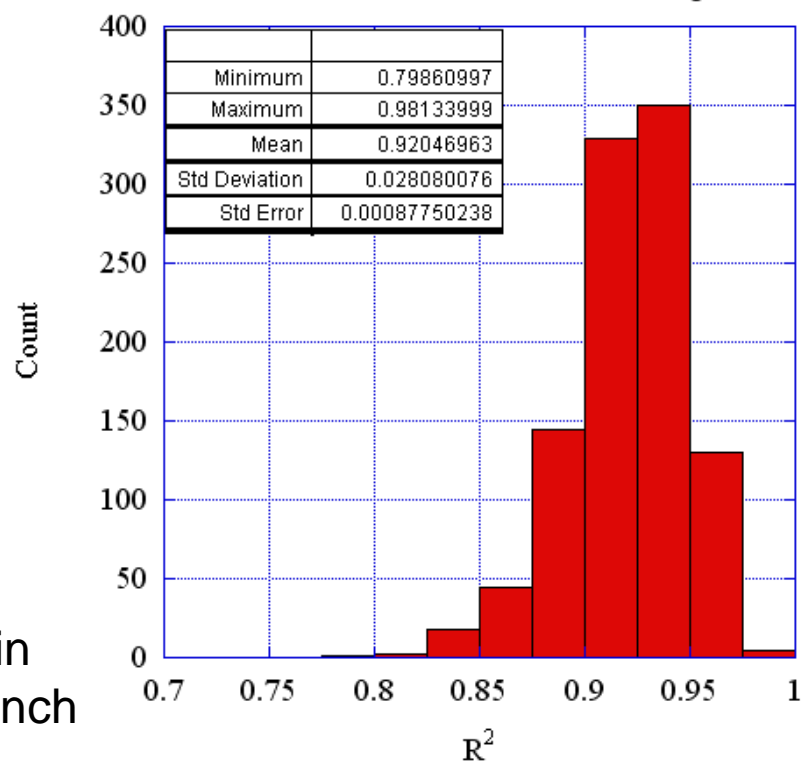
← 25 turn  
Movie →



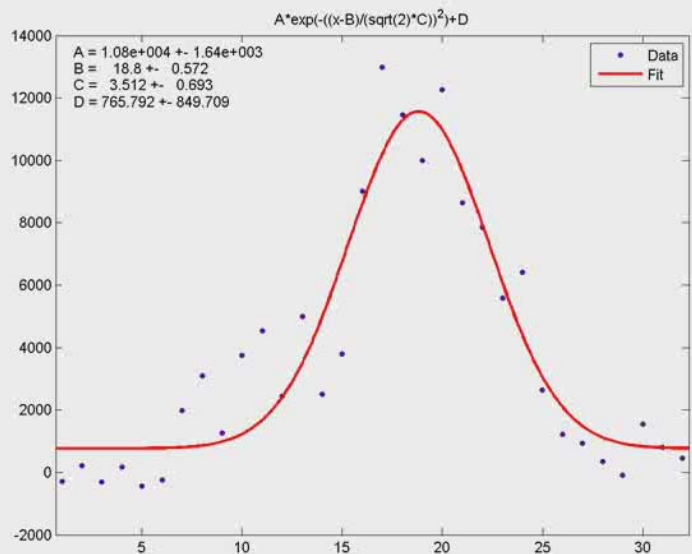
e+ File:01116 Bunch 13 Flat Background



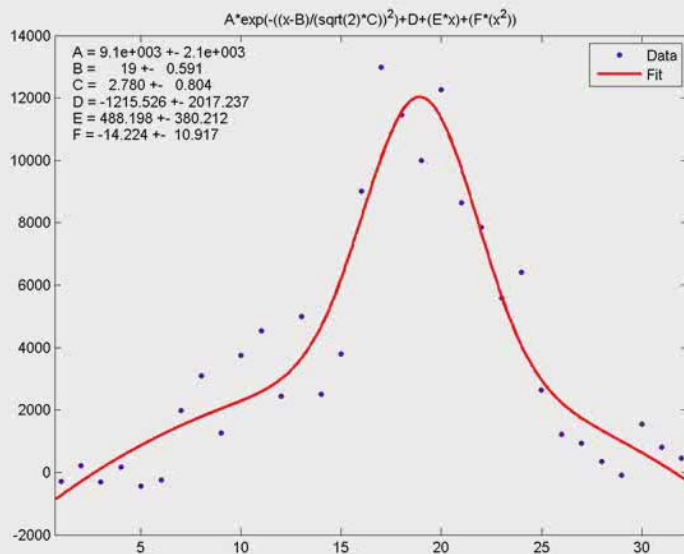
e+ File:01116 Bunch 13 Quadratic Background



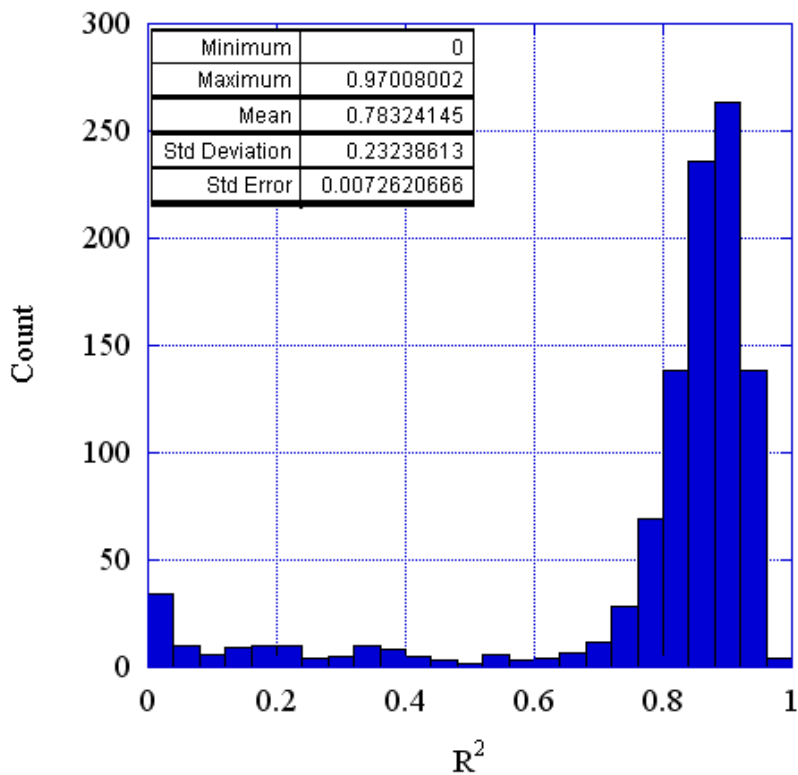
e+ bunch 13  
20 bunch train  
I=0.75mA/bunch



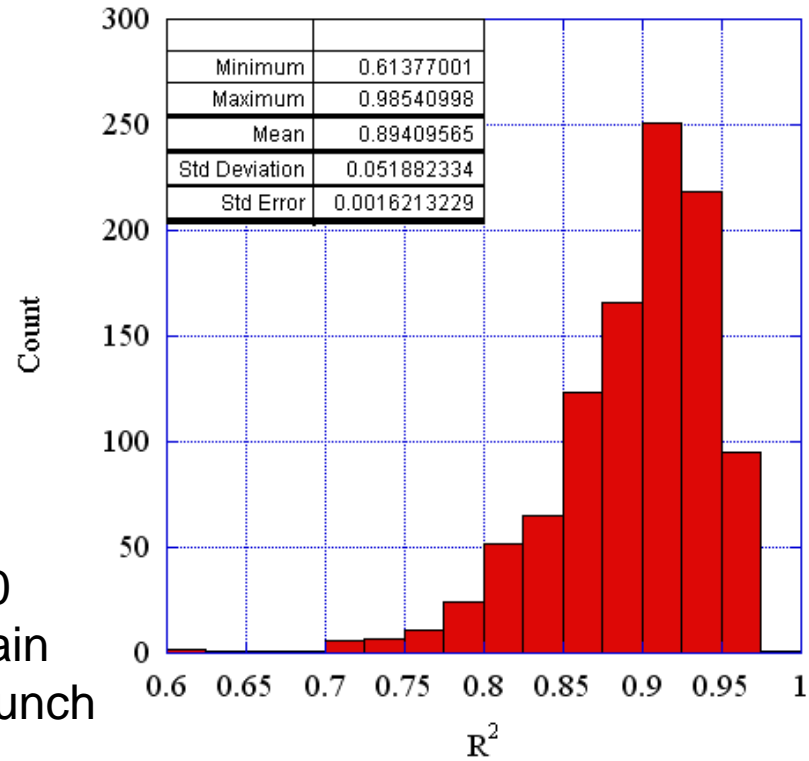
← 25 turn  
Movie →



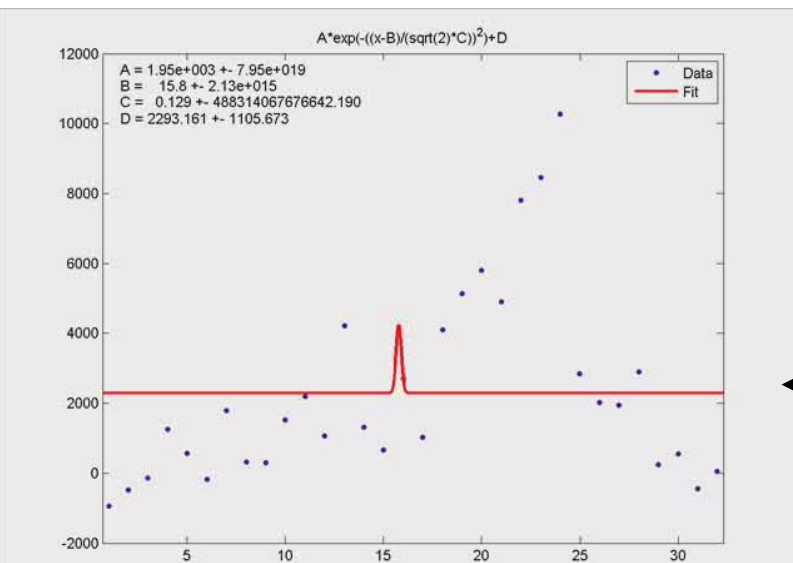
e+ File:01116 Bunch 20 Flat Background



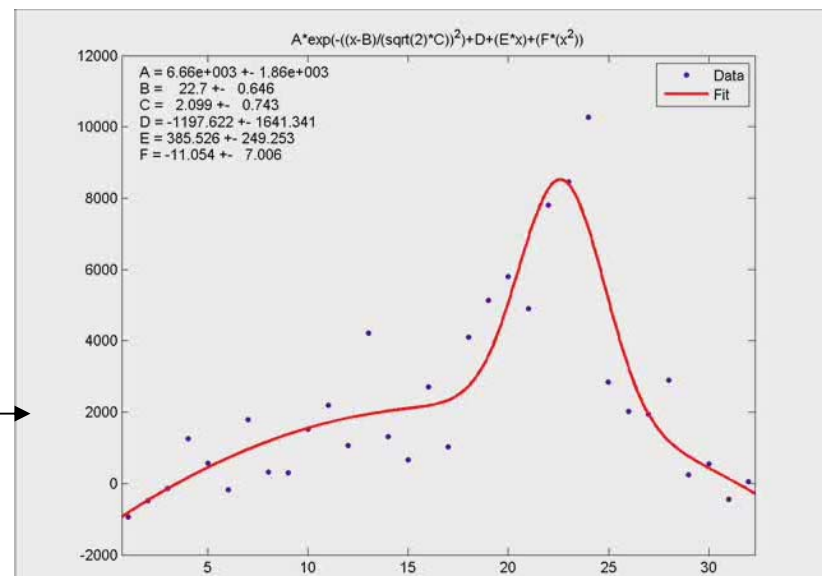
e+ File:01116 Bunch 20 Quadratic Background



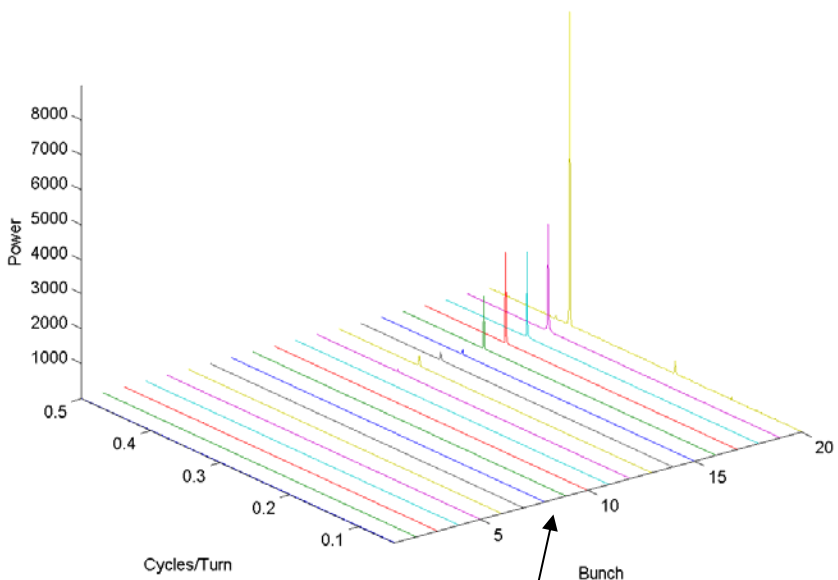
e+ bunch 20  
20 bunch train  
I=0.75mA/bunch



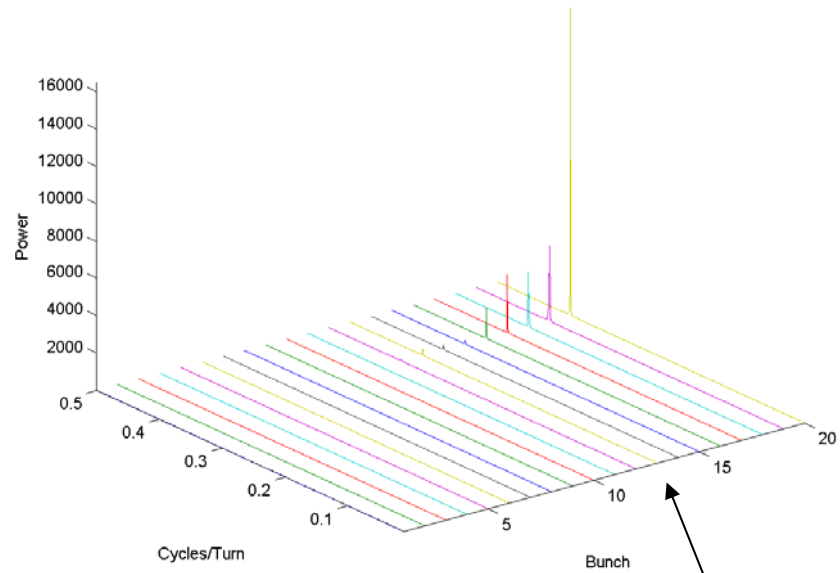
← 25 turn  
Movie →



bsm23e01116 results



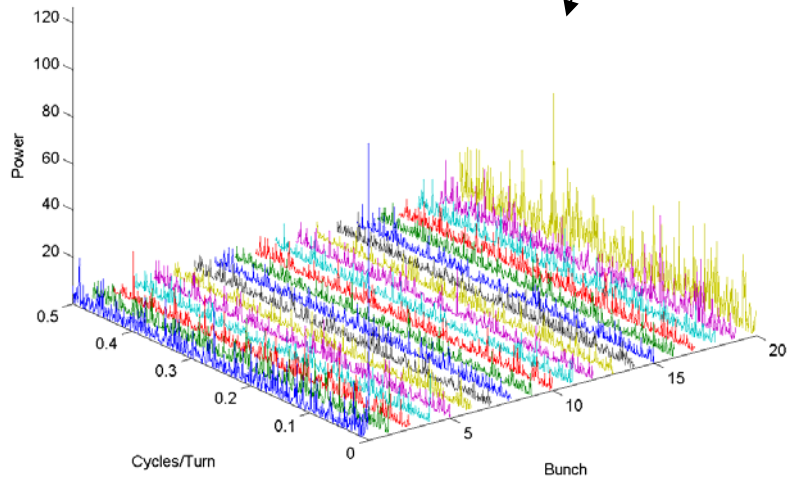
bsm23e01116 results



FFT Flat Background mean/ $\sigma_y$

FFT Quadratic Background mean/ $\sigma_y$

bsm23e01116 results



bsm23e01116 results

